

Secure Autonomy for Contested Environments

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Offline Reinforcement Learning with Off-Policy Evaluation

- Off-policy evaluation (OPE) is important for **filling the gap between training offline reinforcement learning (RL) controllers and choosing which one to deploy online**



Platform Testing	Platform Not Available	Platform Not Available	Platform Not Available	Next Platform Test
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Phase I -- Testing

Data collection using the latest controller.

Phase II -- Offline RL

Use the updated experience dataset to fine-tune existing controllers or train new ones.

Phase III -- OPE

Estimate the controller candidates **offline** and select the one with best performance.

Phase IV -- Testing

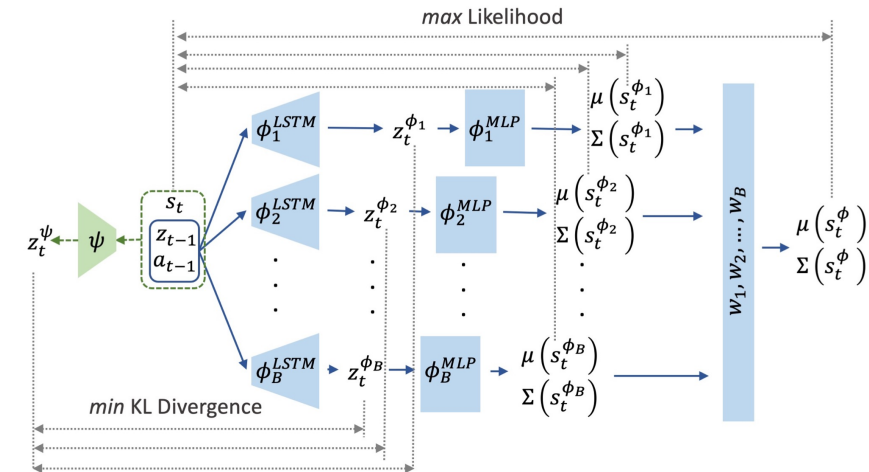
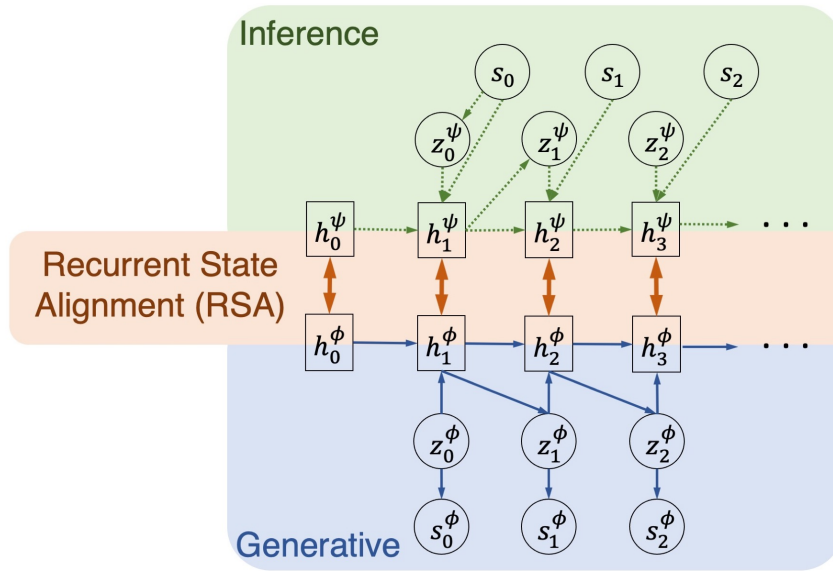
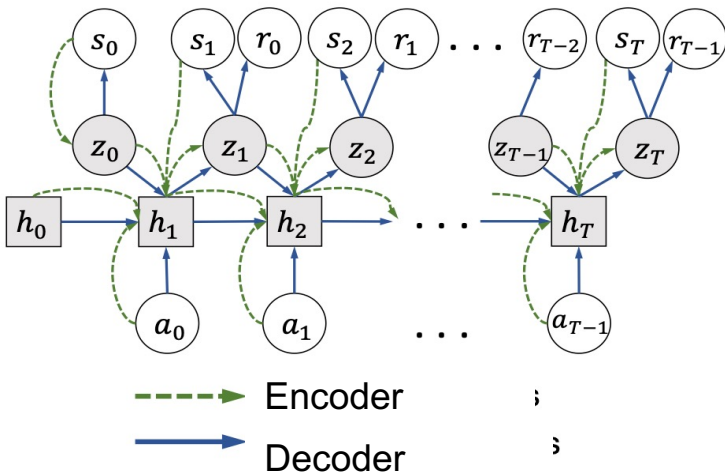
Run the best performing controller selected, and collect new trajectories.

Variational Latent Branching Model (VLBM) for OPE (ICLR23)

- Formulate a latent space where latent variables can transit over time
 $p_\phi(z_t|z_{t-1}, a_{t-1})$
- Both encoder and decoder are **LSTMs**
- The encoder infuse the knowledge of the environment into the latent space
- The decoder generates synthetic trajectories **over time**

- Recurrent state alignment (RSA)
 - To mitigate the effect that decoder starts working **long after the encoder encodes the entire trajectory**
 - Minimize the **mean pairwise error** between LSTM states of encoder and decoder

- Branching for the decoder
 - Multiple decoders sample from the encoder to reduce variabilities possibly caused by, e.g., **random** initialization and **stochasticity** during training
- Overall training objective (maximize)
ELBO – RSA + log_likelihood_for_each_branch

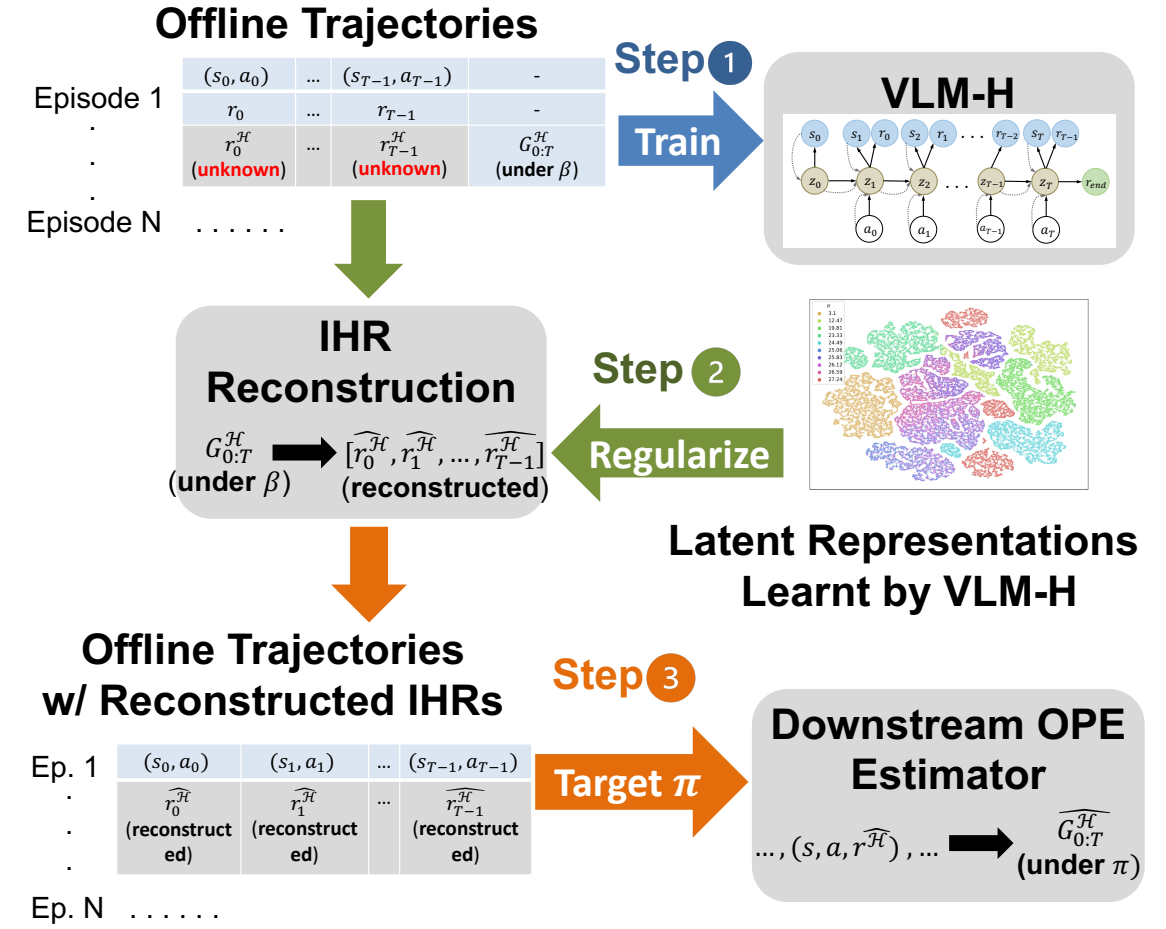


Off-Policy Evaluation for Sparse/Human Feedback (NeurIPS23)

Unknown Immediate Human Rewards (IHRs)

We assume that the IHRs, $r_t^{\mathcal{H}}$, are not observable. Instead, the cumulative human return, $G^{\mathcal{H}} = \sum_t \gamma^t r_t^{\mathcal{H}}$, is available **at the end of each episode (i.e., extremely sparse)**.

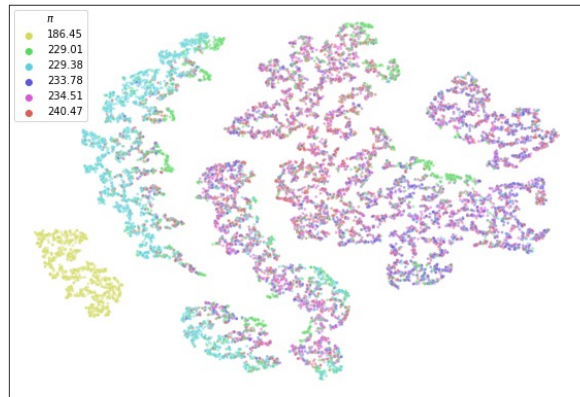
Objective: Given a fixed set of offline trajectories collected by a behavioral policy β , estimate the **expected total human return** over the unknown state-action visitation distribution ρ^{π} of the target (evaluation) policy π -- $\mathbb{E}_{(s,a) \sim \rho^{\pi}} [\sum_t \gamma^t r_t^{\mathcal{H}}]$.



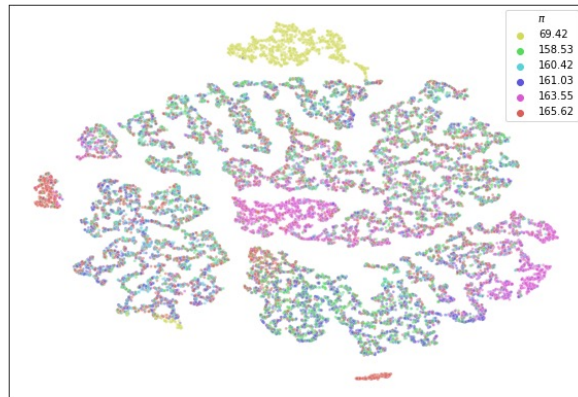
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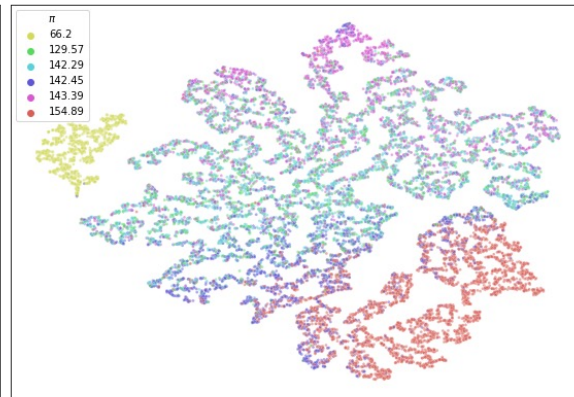
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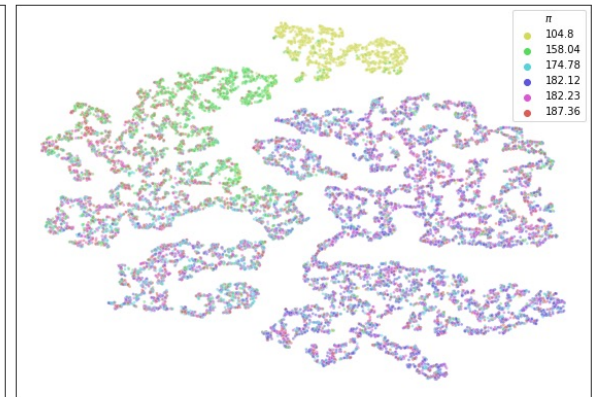
Patient #0



Patient #1



Patient #2



Patient #3

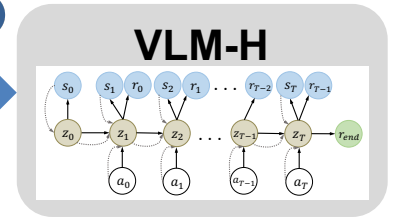
Given **trajectories collected by a behavioral policy**

β , estimate the **expected total human return** over the unknown state-action visitation distribution ρ^π of the target (evaluation) policy π -- $\mathbb{E}_{(s,a) \sim \rho^\pi} [\sum_t \gamma^t r_t^{\mathcal{H}}]$.

Offline Trajectories

Episode 1	(s_0, a_0)	...	(s_{T-1}, a_{T-1})	-
	r_0	...	r_{T-1}	-
⋮	$r_0^{\mathcal{H}}$...	$r_{T-1}^{\mathcal{H}}$	$G_{0:T}^{\mathcal{H}}$
Episode N	(unknown)	...	(unknown)	(under β)

Step 1
Train

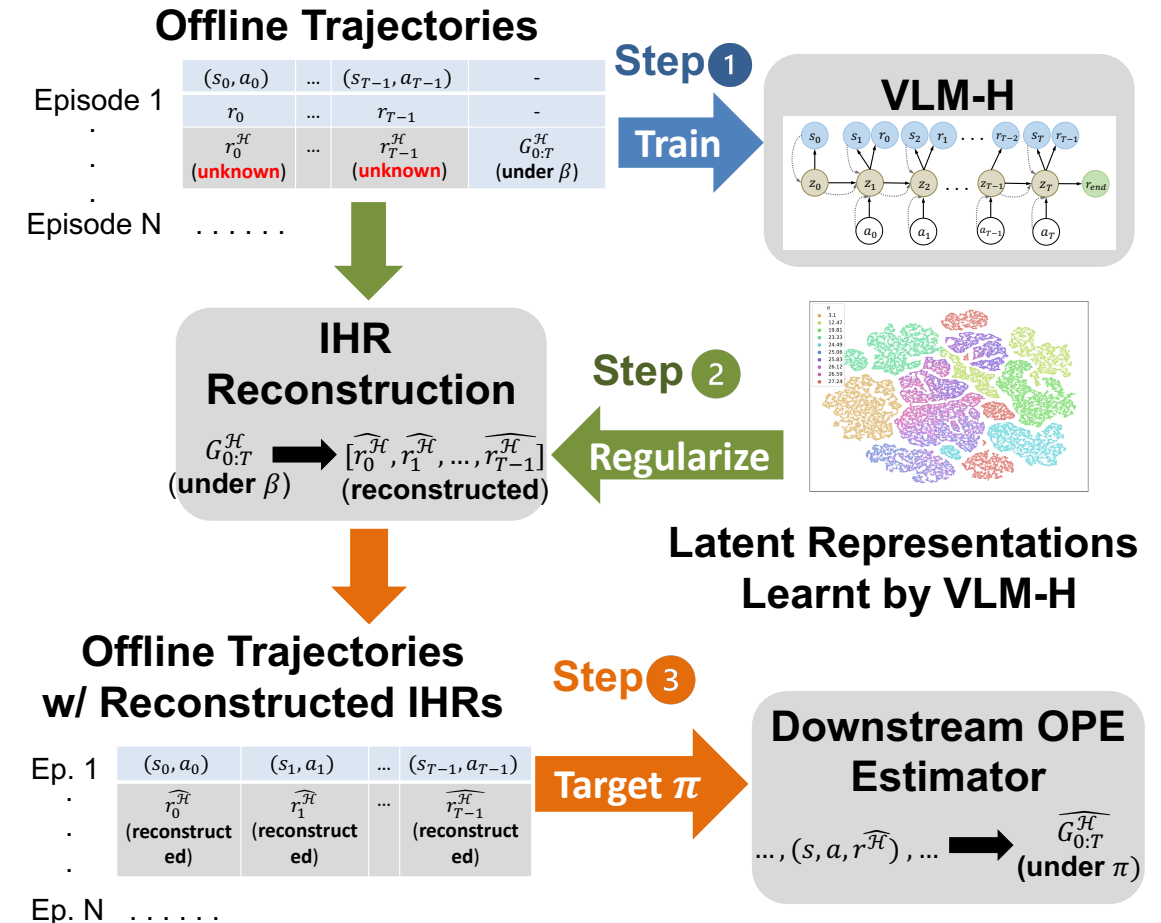


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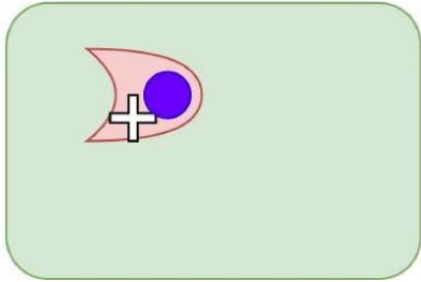
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Max-Min Optimization

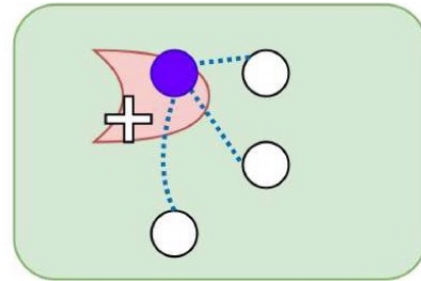
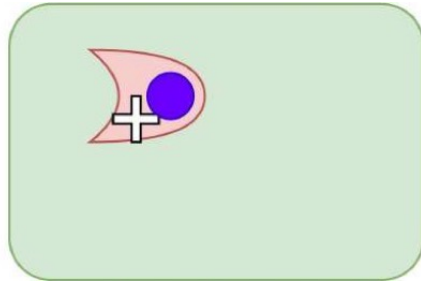
$$\max_{\theta \in \Theta} \min_{\phi \in \Phi} R(\theta, \phi)$$



- Inner minimization problem is difficult to solve → **local-optimum**
- Worst-case optimization can be **over-conservative** for *unrealistic* adversary (i.e., overly capable)

Max-Min Optimization

$$\max_{\theta \in \Theta} \min_{\phi \in \hat{\Phi}} R(\theta, \phi) = \max_{\theta \in \Theta} \min_{\phi_1, \dots, \phi_m \in \hat{\Phi}} \min_{\phi \in \{\phi_i\}_{i=1}^m} R(\theta, \phi)$$

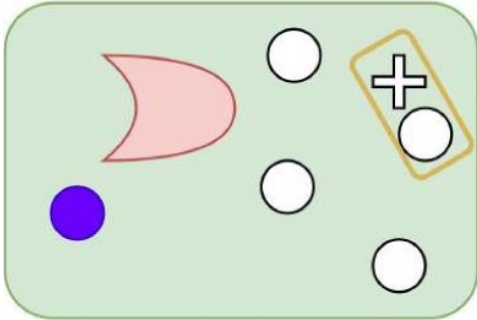


Learners
instead of
fixed
adversaries

Efficient approximation of the inner optimization i.e., the size of **adversary herd** is upper-bounded to obtain sufficient approximation precision.

Max-Min Optimization with Adversarial Herd – Optimization Over Worst- k Adversaries

$$\max_{\theta \in \Theta} \min_{\phi \in \Phi} R(\theta, \phi) \quad \longrightarrow \quad \max_{\theta \in \Theta} \min_{\phi_1, \dots, \phi_m \in \hat{\Phi}} \frac{1}{I_{\theta, \hat{\Phi}, k}} R(\theta, \phi_i)$$



Resolving Potential Over-Pessimism

i.e., modify the objective from optimizing its worst-case performance, to optimizing its average performance over the **worst- k adversaries**

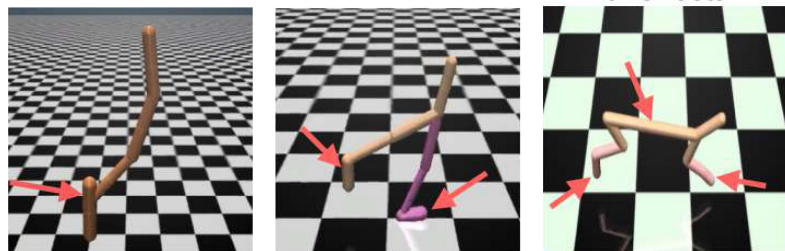
If we choose a set of adversaries that are different enough, then the number of adversaries needed to approximate the inner optimization problem is in linear order of the desired precision.

If our objective is to use adversarial herd to approximate accurately with high probability, instead of an almost sure approximation, then the number of required adversaries can be reduced.

Adversarially Robust Control & Decision Making (ICLR24*, ICRA24*)

Max-Min Optimization with Adversarial Herd – Optimization Over Worst- k Adversaries

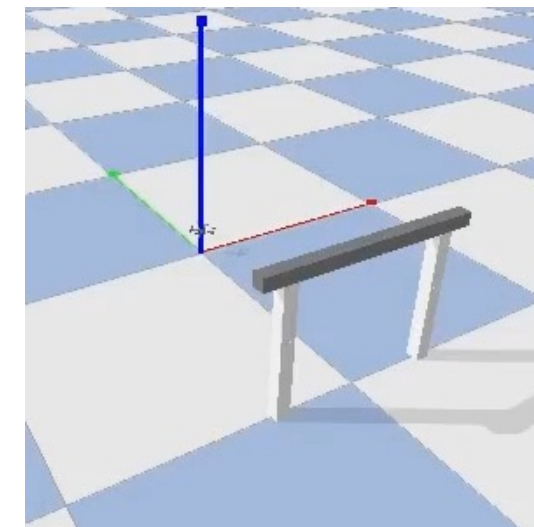
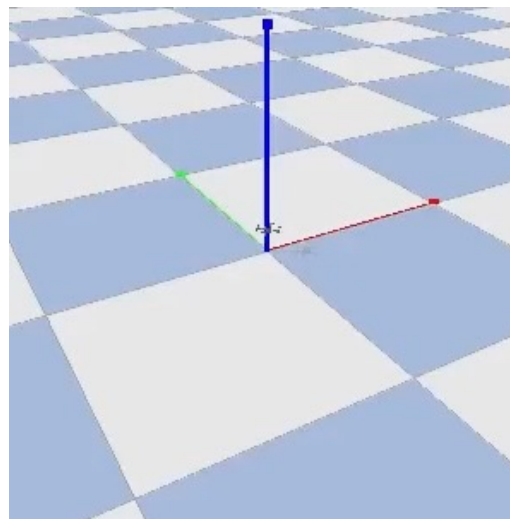
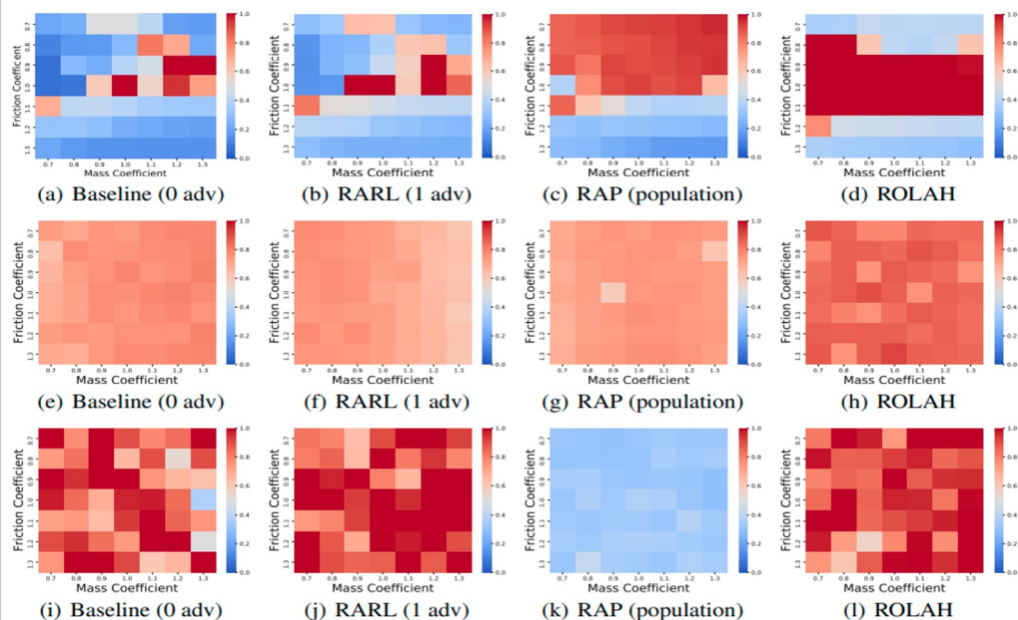
$$\max_{\theta \in \Theta} \min_{\phi \in \Phi} R(\theta, \phi) \quad \longrightarrow \quad \max_{\theta \in \Theta} \min_{\phi_1, \dots, \phi_m \in \hat{\Phi}} \frac{1}{I_{\theta, \hat{\Phi}, k}} R(\theta, \phi_i)$$



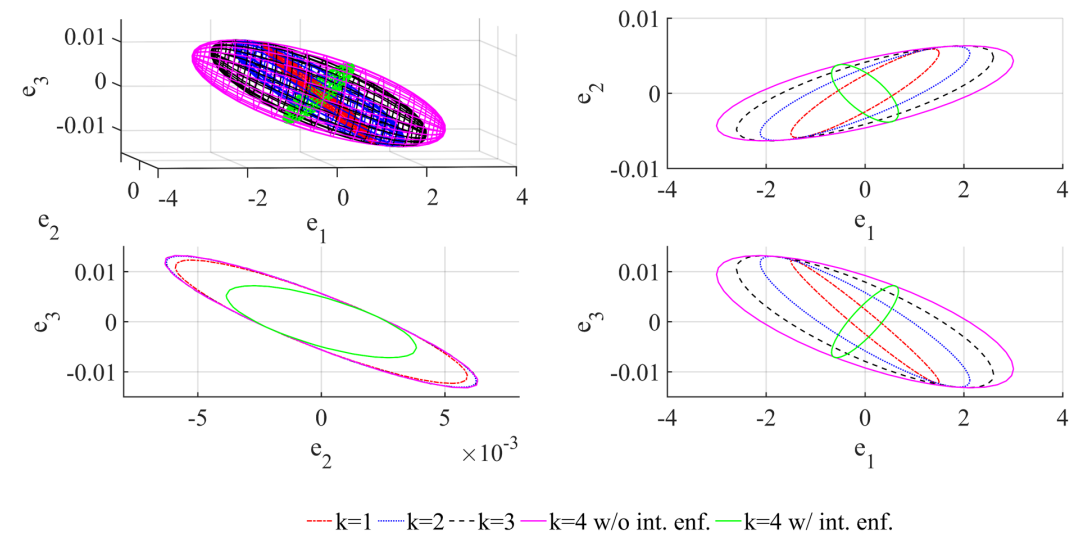
(a) Hopper

(b) Walker2d

(c) Half-Cheetah



How can we analyze the impact of different attack vectors on CPS (i.e., QoC)?



An attack sequence

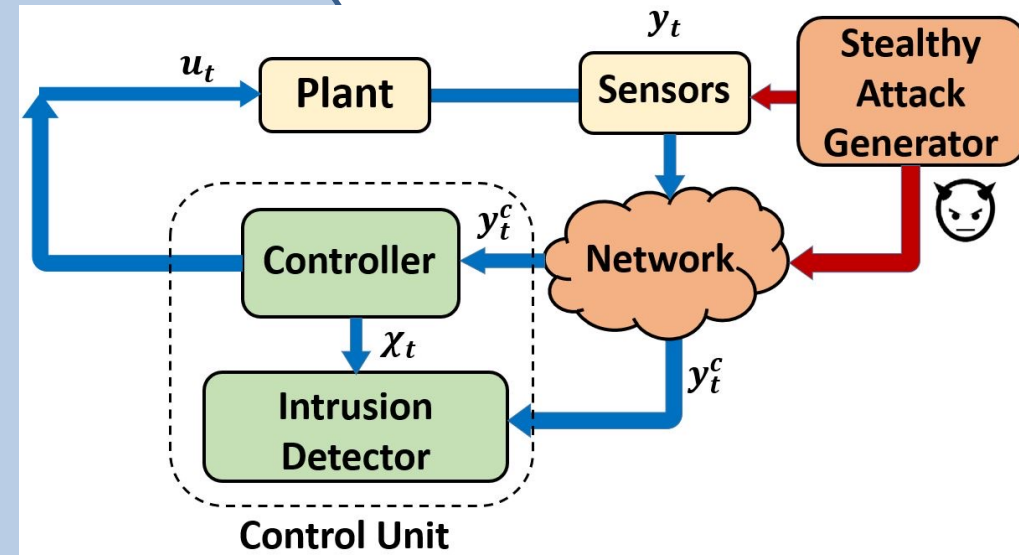
- is **strictly stealthy** iff

$$KL(Q(Y_{-\infty}^{-1}, Y_0^a : Y_t^a) || P(Y_{-\infty} : Y_t)) = 0$$

for any $t \geq 0$,

- is ϵ -**stealthy** if

$$KL(Q(Y_{-\infty}^{-1}, Y_0^a : Y_t^a) || P(Y_{-\infty} : Y_t)) \leq \log\left(\frac{1}{1-\epsilon^2}\right) \text{ for any } t \geq 0.$$

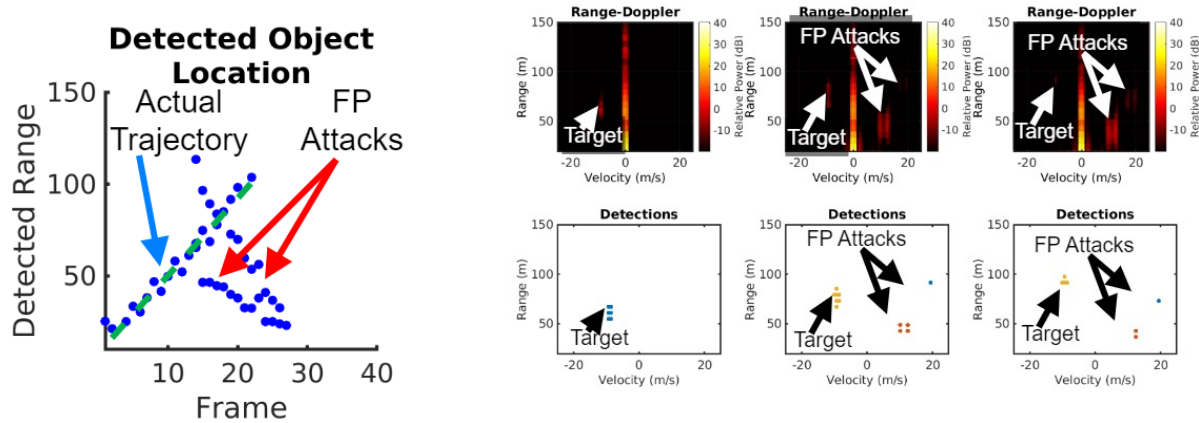


The system is (ϵ, α) -attackable for arbitrarily large α and arbitrarily small ϵ , if the closed-loop dynamics is incrementally exponentially stable (IES) in the set S and the open loop dynamics is incrementally unstable in the set S .

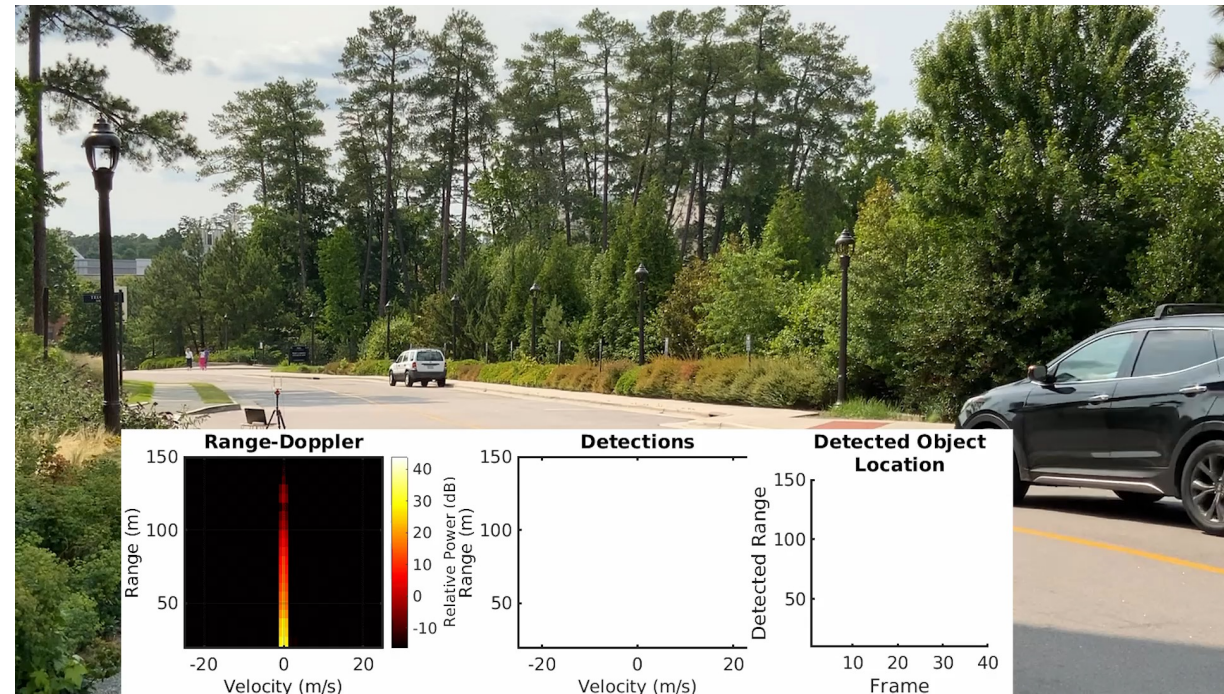
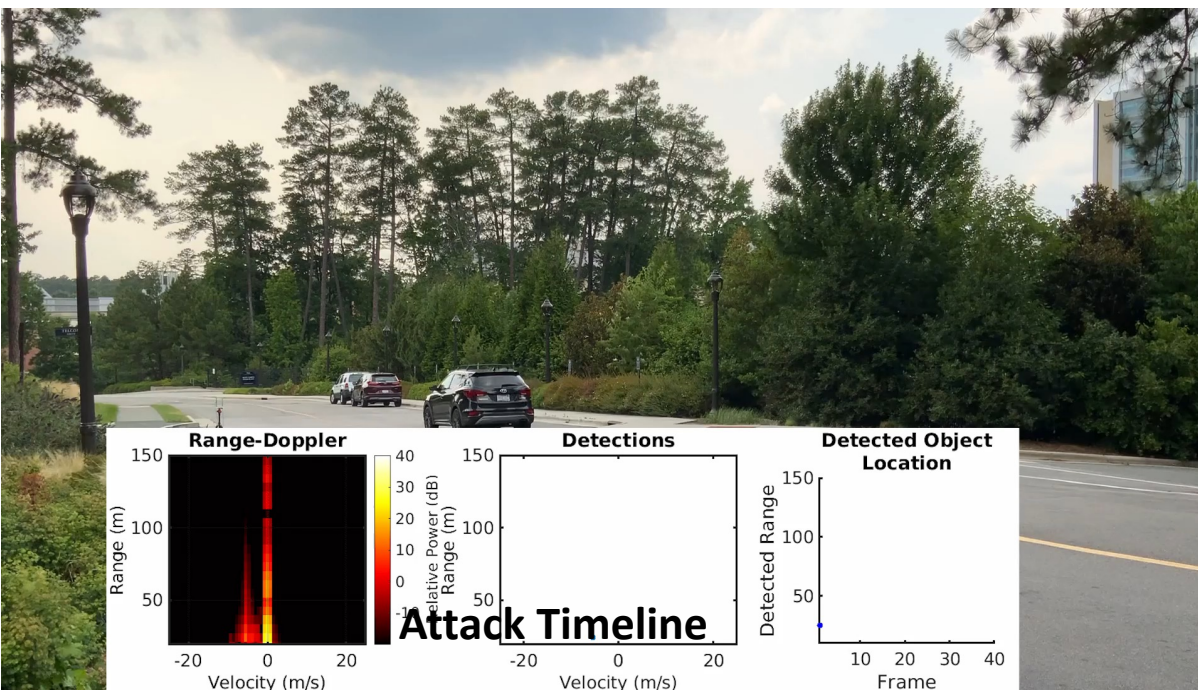
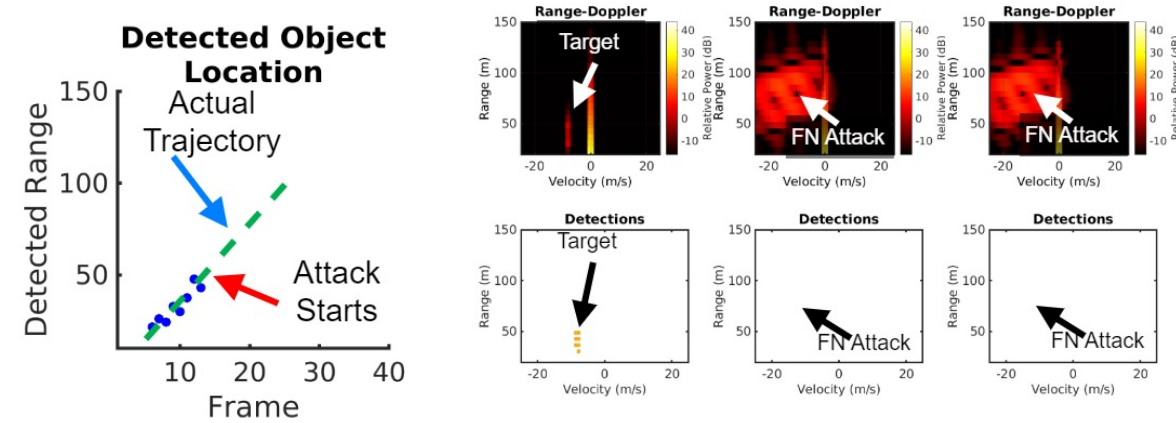
Vulnerability Analysis of mmWave Radars

MadRadar: A Black-Box Physical Layer Attacks (NDSS'24)

False Positive Attacks



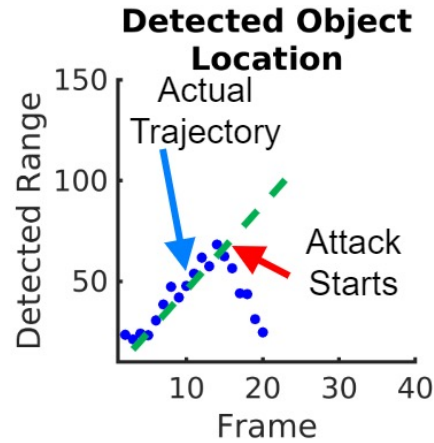
False Negative Attacks



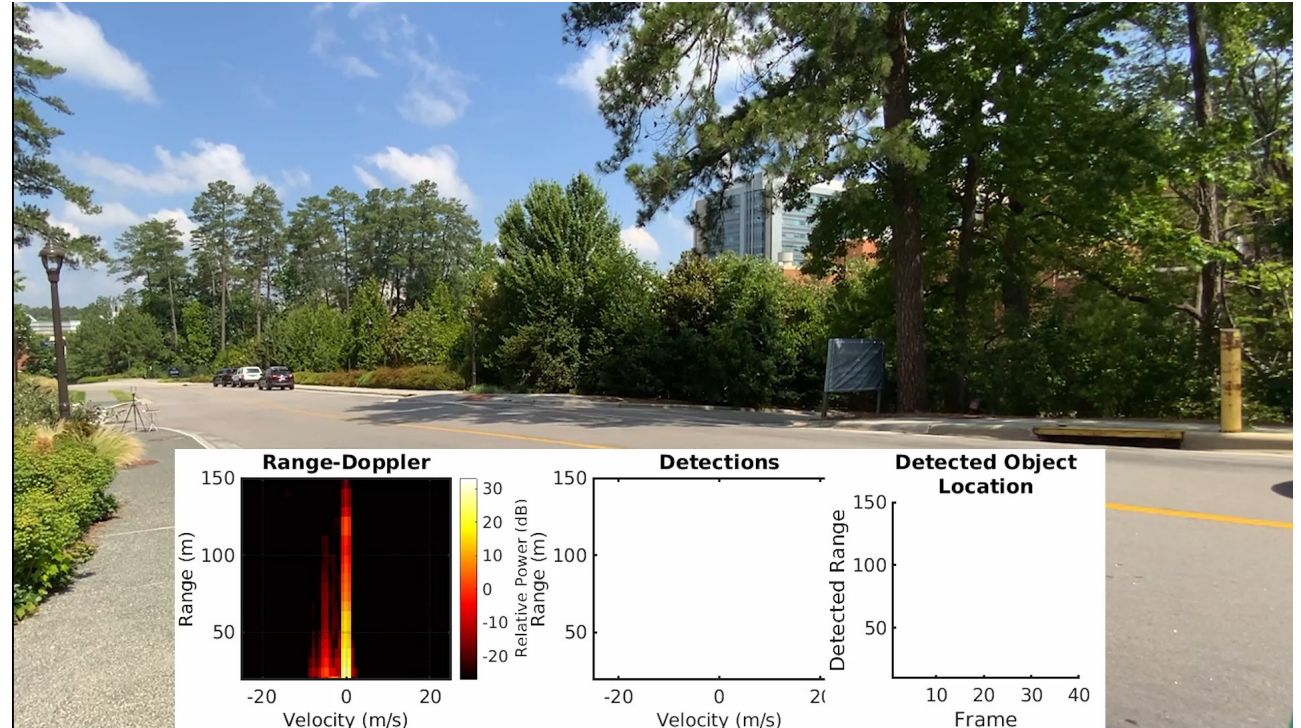
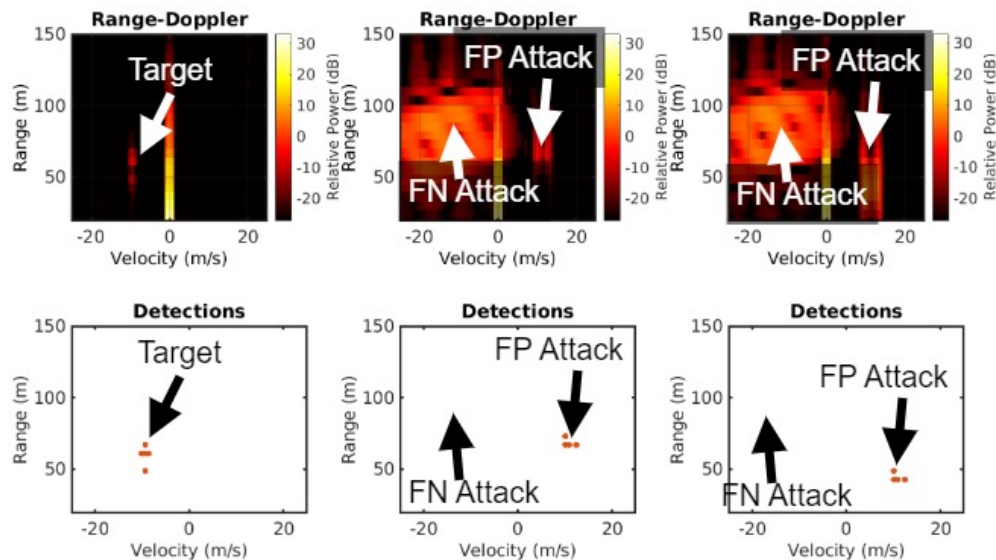
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Translation Attacks



Attack Timeline

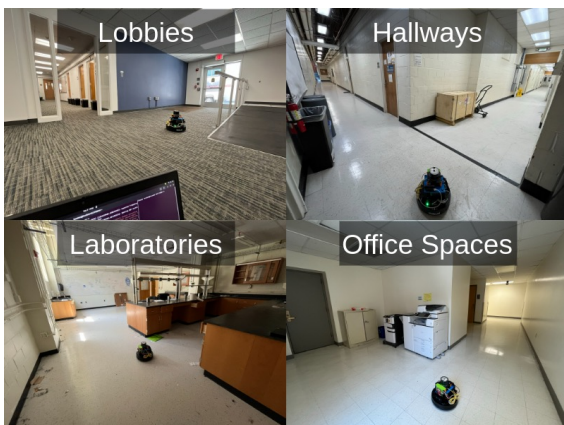
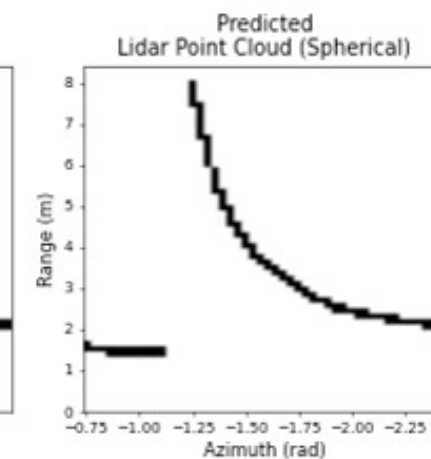
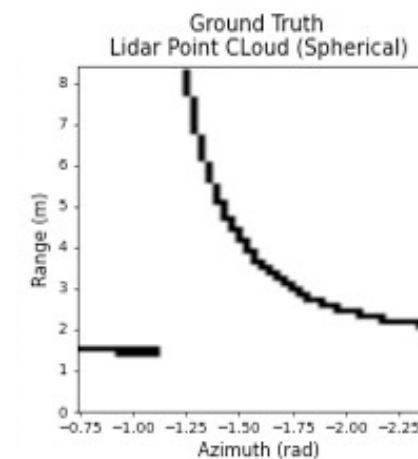
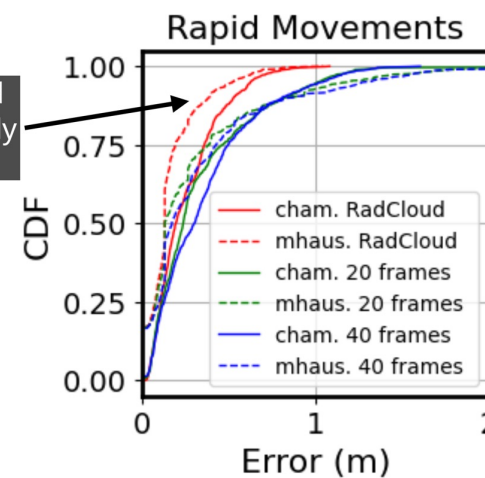
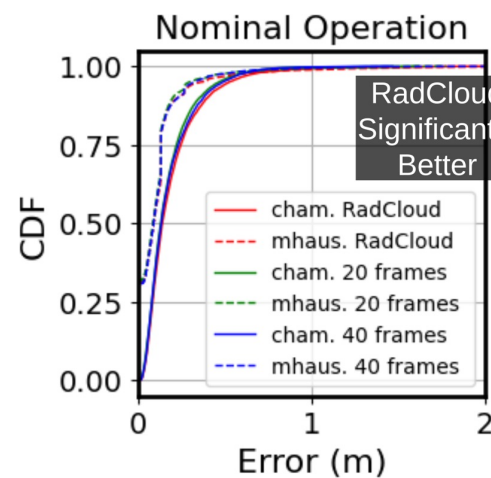
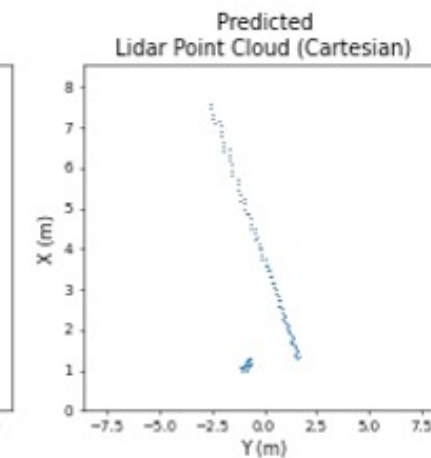
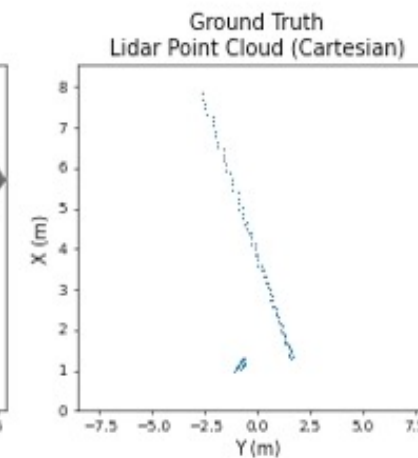
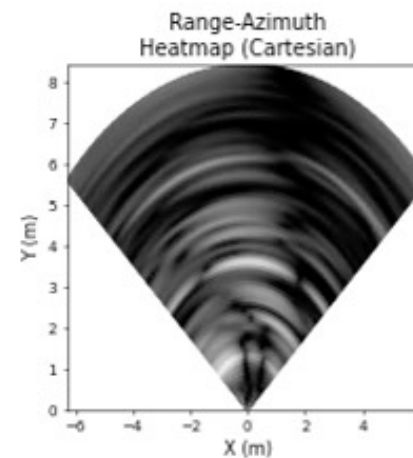
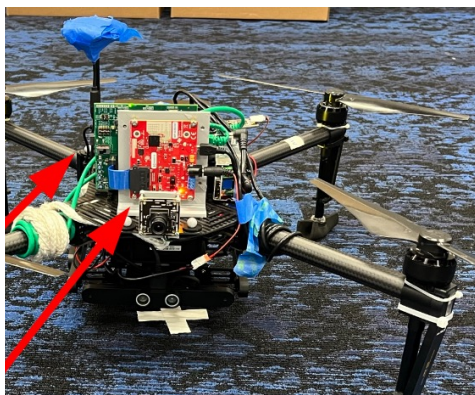


mmWave-based Autonomy (ICRA'24*)

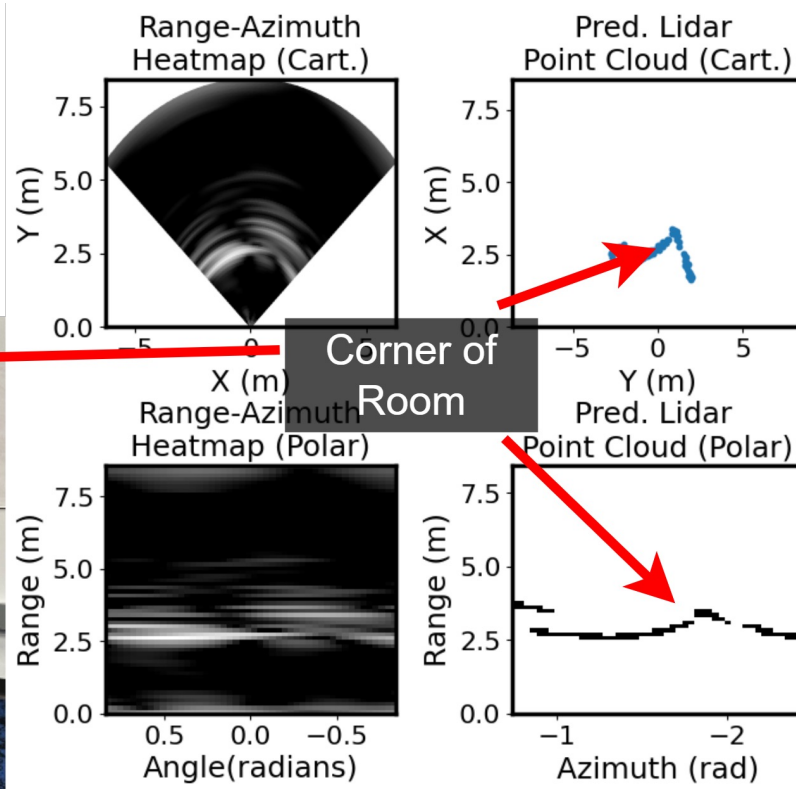
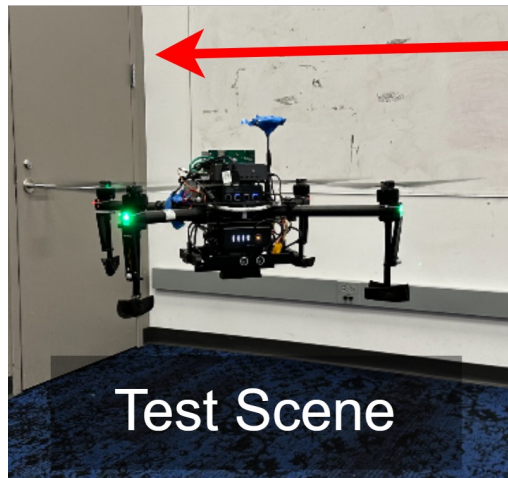


Goal: **Low-cost** (~\$100), **low-weight** solution for **adversarially robust** situational awareness and autonomy on **computationally constrained** devices

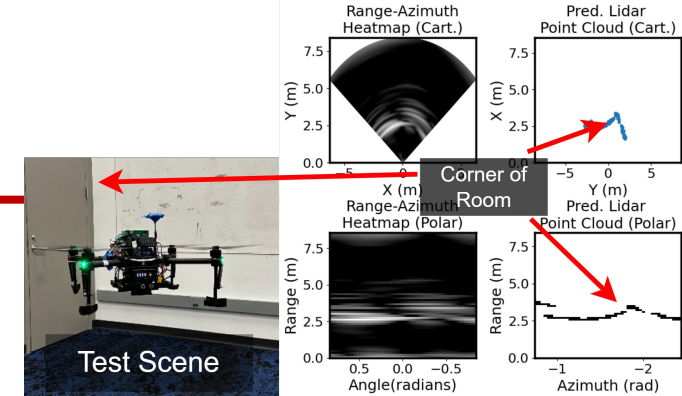
- **Real-time high-accuracy** point clouds on a NUC-powered drone using mmWave sensing



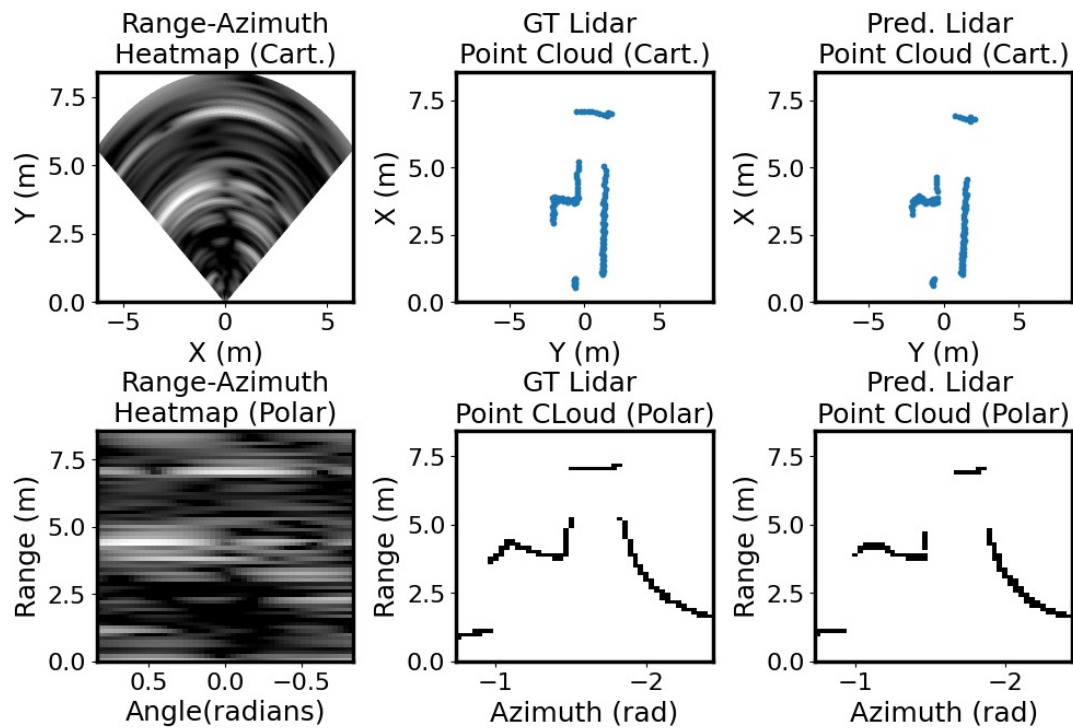
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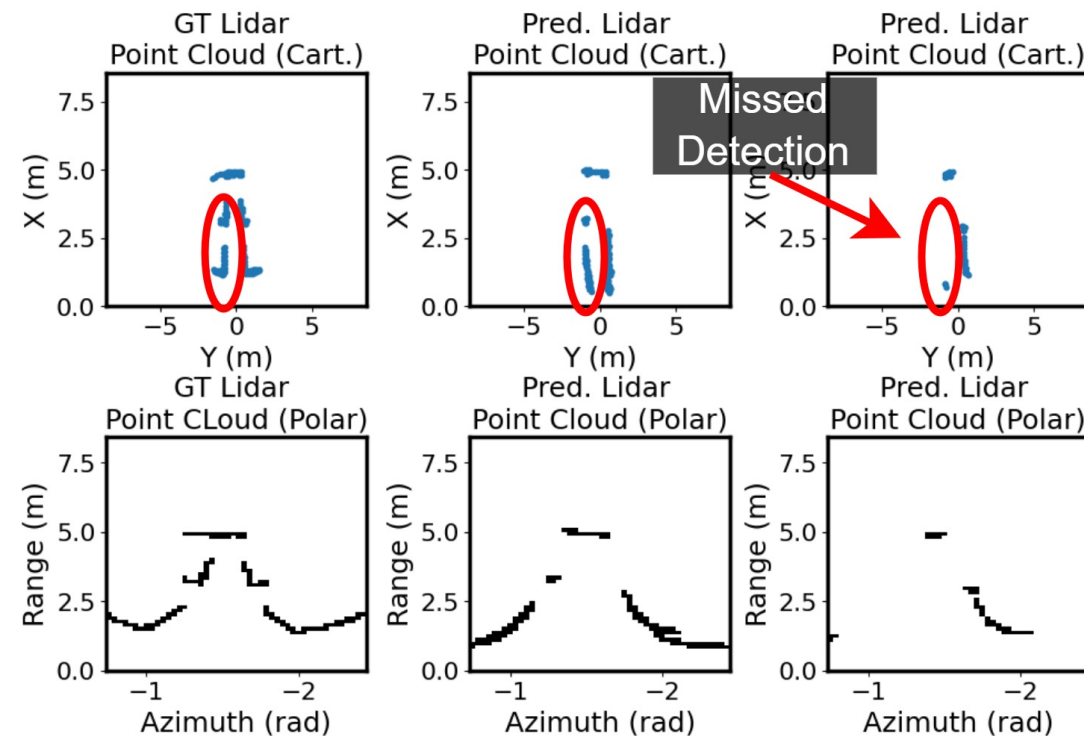


New Environments



Input radar data, ground truth point cloud, and predicted point cloud

Aggressive Maneuvers

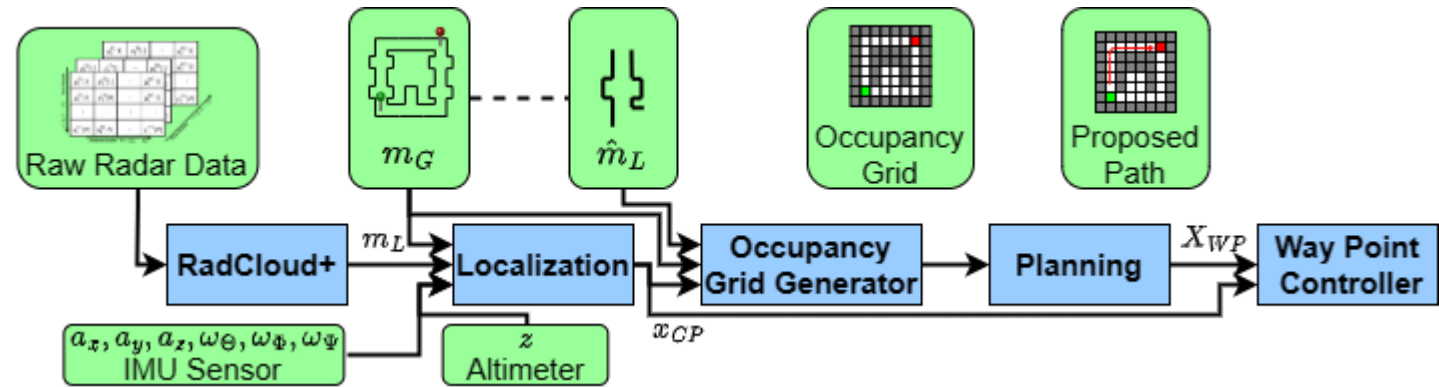
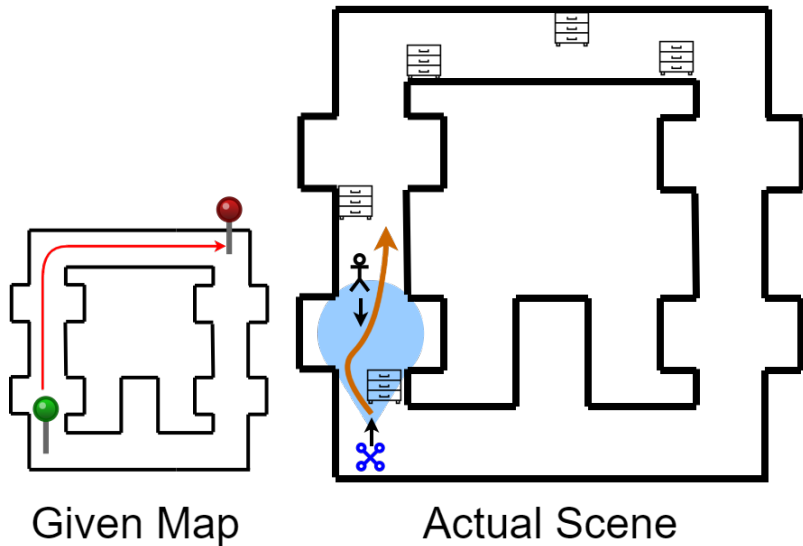


GT Lidar

RadCloud

40 Frames

- *Goal:* Navigate through an environment using only radar and traditional odometry sensors



Thank you



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